

CNMCA-LETKF

Analysis

Members

Towards the assimilation of soil moisture in the **COMET Ensemble Data Assimilation System**

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Operational COMET Ensemble Data Assimilation System

CNMCA – LETKF (Bonavita, Torrisi and Marcucci, Q.J.R.M.S., 2008, 2010)

• OPERATIONAL SINCE 1 JUNE 2011 CNMCA/COMET is the first meteorological centre which uses operationally a pure EnKF DA to initialize a deterministic NWP model

• **LETKF Formulation** (Hunt et al, 2007)



- 6-hourly assimilation cycle
- 40 ensemble members + deterministic run with 0.09° (~10Km) grid spacing (COSMO model), 45 hybrid zsigma vertical levels (top at ~27km)
- (T,u,v,pseudoRH,ps) set of control variables
- Observations: using RAOB (also 4D), PILOT, SYNOP, SHIP, BUOY, Wind Profilers, AMDAR-ACAR-AIREP, MSG3-MET7 AMV, MetopA-B scatt. winds, NOAA/MetopA-B AMSUA/MHS and NPP ATMS radiances + LandSAF snowmask.
- "Relaxation-to-Prior Spread" Multiplicative Inflaction according to Whitaker et al (2010)

an. pert.
$$\mathbf{x}'_{a} = \mathbf{x}'_{a} \sqrt{\alpha \frac{\sigma_{b}^{2} - \sigma_{a}^{2}}{\sigma_{a}^{2}} + 1}}$$
 $\alpha = 0.95$
 $\sigma^{2} = variance$

Additive noise from EPS

- Lateral Boundary Condition from deterministic IFS perturbed with ECMWF-EPS
- Climatological Perturbed SST
- Adaptive selection radius using a fixed number of effective observations (sum of obs weights)

DeterministicAnalysis

computed using the standard LETKF-Kalman gain and the deterministic short-range forecast

SOIL MOISTURE ASSIMILATION : PRE-PROCESSING OF ASCAT HSAF SOIL MOISTURE DATA



Normalization methods

$$\omega_{obs} = \omega_{ADP} + \frac{\theta_{obs}}{100} (\omega_{PV} - \omega_{ADP})$$

Volume of voids (ω_{PV}): maximum possible volume of water that the soil can hold **Field capacity (** ω_{FC}): amount of soil moisture held in the soil after excess water has drained away and the rate of downward movement has decreased. **Wilting point (** ω_{PWP}): the minimal amount of water the plant requires not to wilt Air Dryness point (@ADP): minimum possible amount of water that can remain in the soil

OBS INCREMENTS STATISTICS (january 2015 - january 2016)





DATA QUALITY CONTROL

Linear regression analysis of ASCAT data plotted against model data: "total regression analysis" or "local regression analysis"



local regression analysis global regression analysis

$$\omega_{obs} = max \left(0, a + b \frac{\theta_{obs}}{100} \right)$$

b slope, a intercept

OBS INCREMENTS STATISTICS (january 2015 - january 2016)



CURRENT AND FUTURE DEVELOPMENTS

1. Use of derived soil moisture increments in the KENDA-LETKF code, to improve the analysis of atmospheric variables in the lowest levels

2. Development of a suitable soil moisture analysis

3. retuning of observation increments at higher resolution (2.8 km)

ASCAT data is rejected where:

- snow: the analysed snow amount is greater than 0.05 kg/m^2
- *frost:* the 2m Temperature analysis is below 275.15 K
- wetlands: the inundation and wetland amount has a value greater than 15%
- *mountains:* the topographic complexity has a value greater than 20%
- ASCAT estimated error: the error in the ASCAT surface soil wetness is estimated to be greater than 7% (Met Office) or 8% (ECMWF). This check rejects ASCAT data from regions with dense vegetation and sand dunes.

The soil moisture's obs increments are highly non gaussian, too concentrated around the value 0 (in dry and saturated condition)



To avoid discarding good quality observations, a control variable for the soil moisture whose increments have a gaussian behavior could be obtained, so to apply the quality control to this control variable

METHOD PROPOSED by HOLM (2001)

 \blacktriangleright Find a variable φ whose forecast difference $\delta \varphi$ follows a gaussian conditional error distribution P($\delta \varphi | \phi$) as a function of some variable ϕ ;

> Determine the bias (b(ϕ)) and standard deviation ($\sigma(\phi)$) of the forecast differences as a function of ϕ , with the bias preferably negligible;

> Normalize forecast differences by the bias and standard deviation \succ Change the control variable according to equation (1).







