

# A Data Assimilation Testbed using KENDA and idealized COSMO Ensembles

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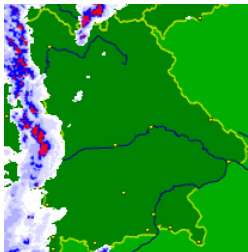
COSMO User Seminar  
Data Assimilation Session  
DWD Offenbach, 17.03.2014

# Outline

- 1 idealized COSMO-KENDA
  - Convective-scale Data Assimilation
  - Nature Run and Synthetic Observations
- 2 Experiments: LETKF Cycling and Ensemble Forecasts
  - Analysis Ensemble Convergence
  - Forecast error growth
  - Results, Conclusions, Outlook

# Thunderstorm Prediction

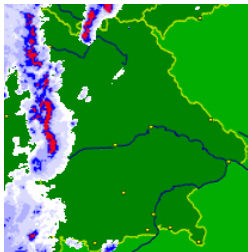
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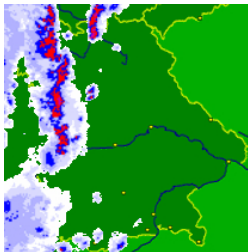


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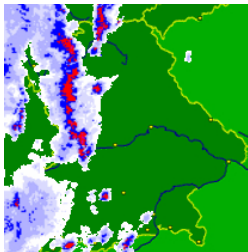
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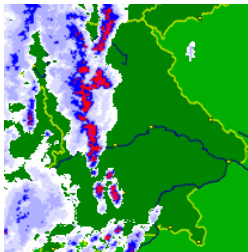
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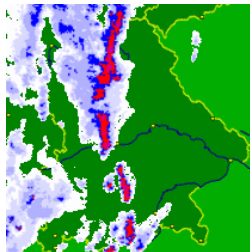
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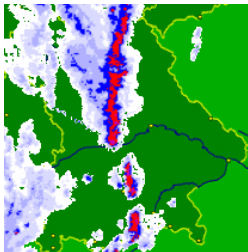
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- chaotic nature of atmosphere taken into account
- ensemble forecasts more useful than deterministic forecasts:
  - ensemble mean represents state with highest probability
  - ensemble spread gives uncertainty information
- decision of DWD for operation of KENDA:
  - Kilometre-scale ENsemble Data Assimilation
  - Local Ensemble Transform Kalman Filter (LETKF) coupled with convection-permitting German forecast model COSMO-DE



# Data Assimilation of Convection

## Experiments for Ensemble Data Assimilation of Convection:

- **Perfect model** experiments (with nature run) to understand LETKF filter algorithms
- **Convection only**: no large scales
- **Simulated Doppler Radar** as realistic observation system

# Nature Run and Ensemble

## COSMO model setup (based on Daniel Leuenberger's work)

**Domain:** 198 × 198 × 50 gridpoints  
periodic lateral boundaries conditions

**Resolution:** 2 km horizontally

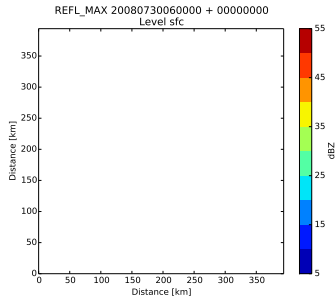
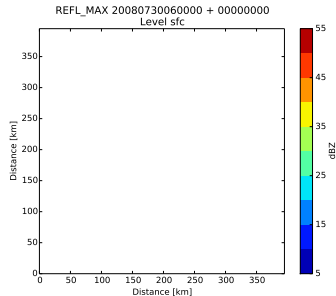
**Initial state:** Horizontally homogenous sounding,  
CAPE =  $2200 \frac{\text{J}}{\text{kg}}$ ,  
random white noise on T (0.02 K) and W ( $0.02 \frac{\text{m}}{\text{s}}$ )  
in the boundary layer

**Model:** Full COSMO physics with active radiation scheme

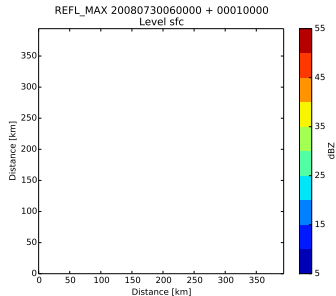
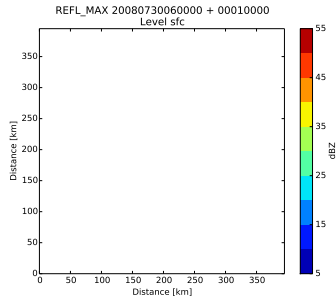
**Forecast:** 8 hour spinup until convection evolves:

- long-lived cells, lifetime  $\geq 6$  h
- horizontal position *fully random* in ensemble

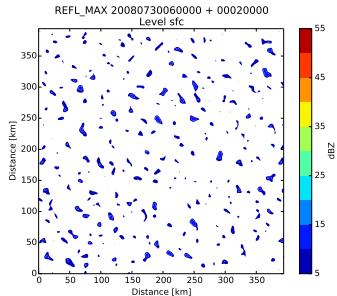
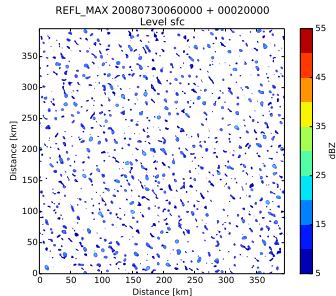
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 $\Delta x = 2$  km $\Delta x = 1$  km

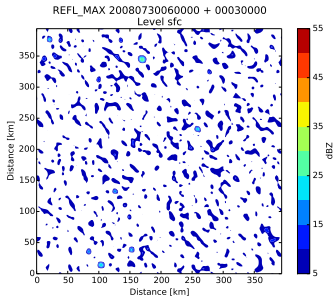
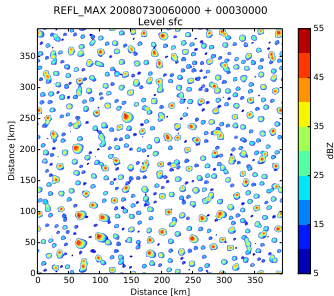
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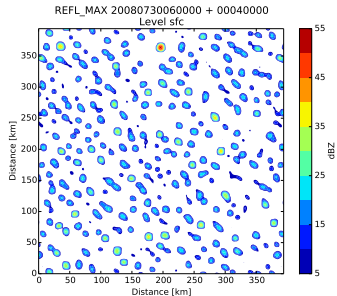
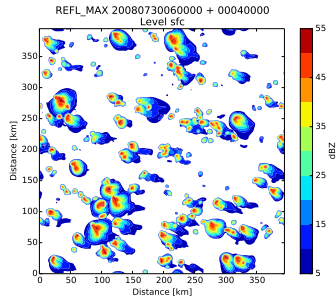
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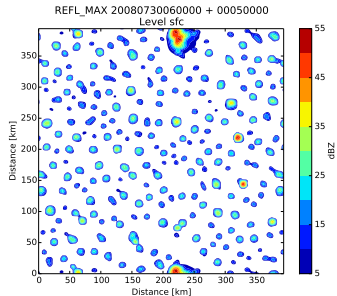
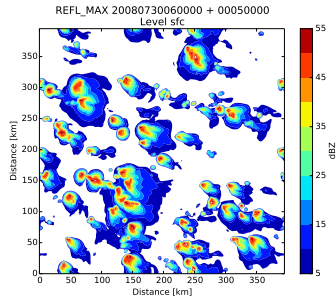
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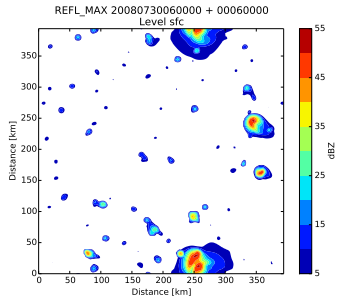
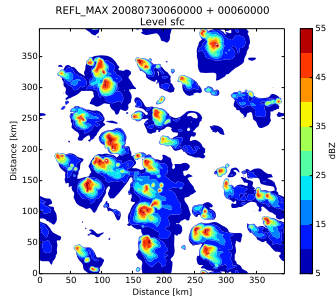
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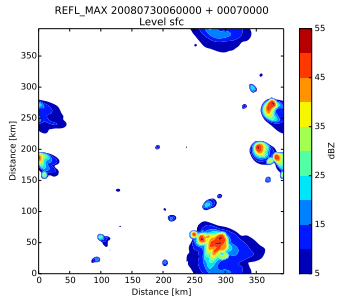
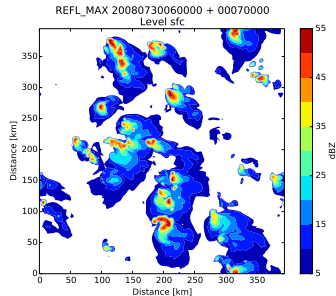
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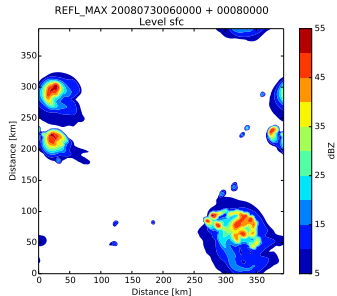
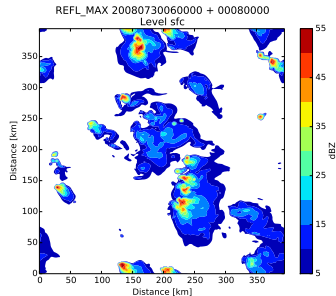
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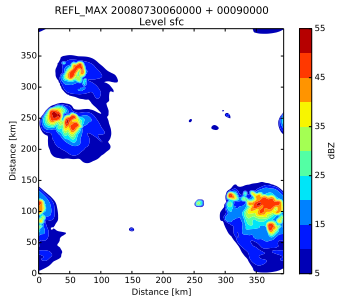
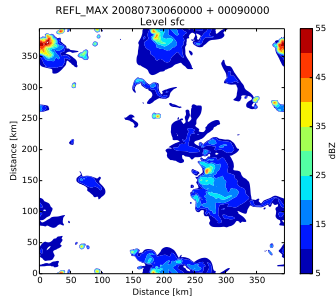
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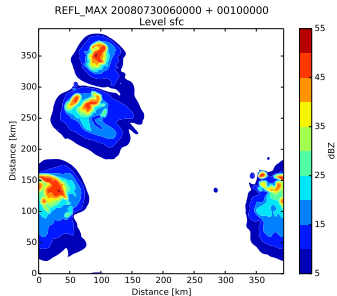
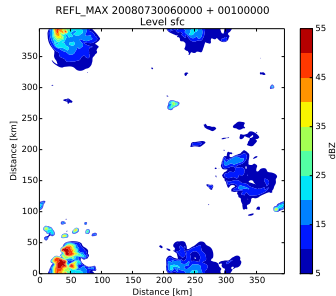
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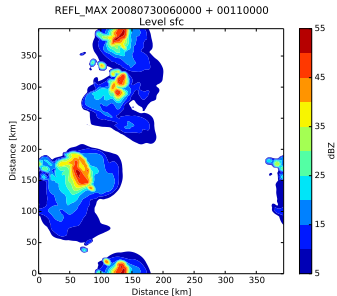
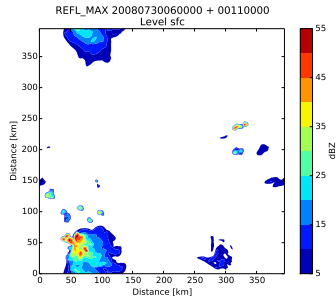
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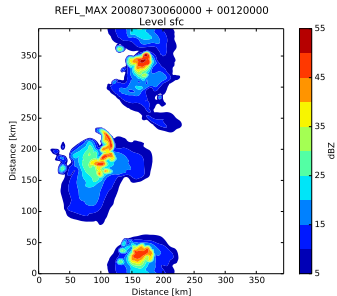
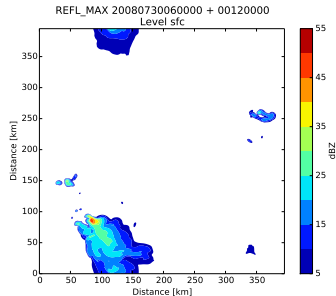
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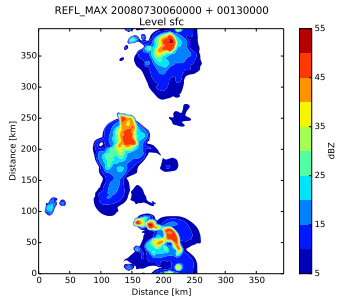
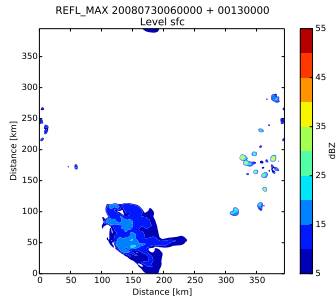
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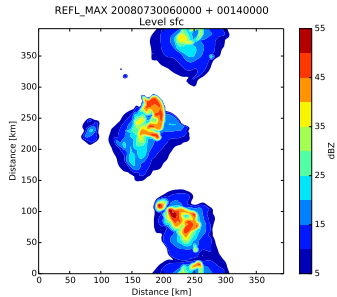
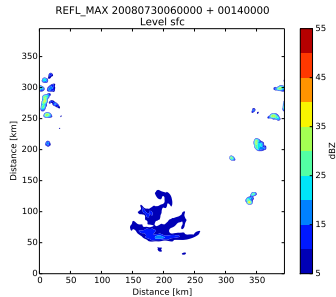
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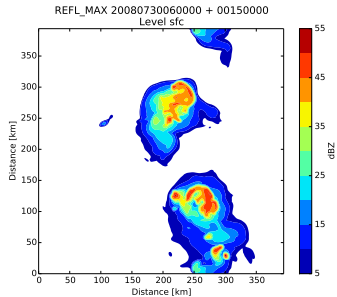
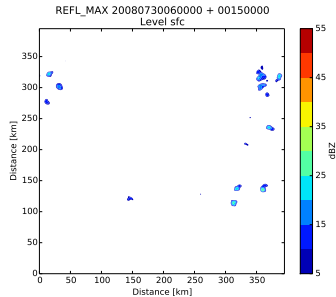
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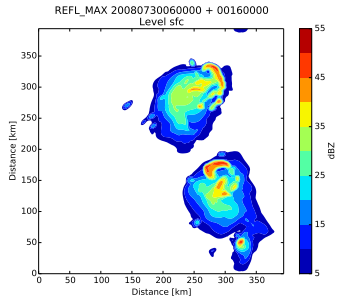
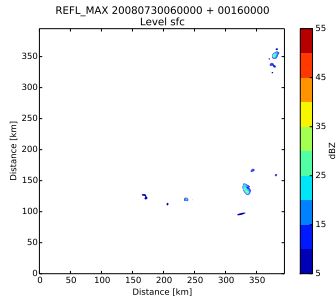
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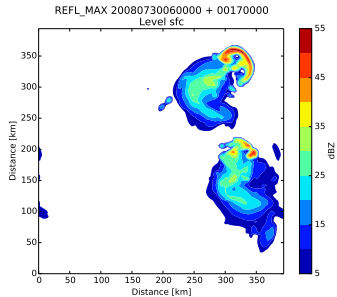
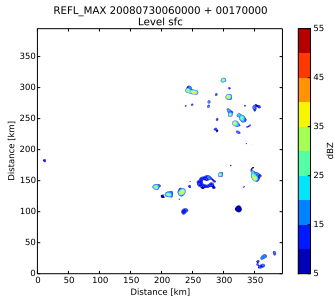
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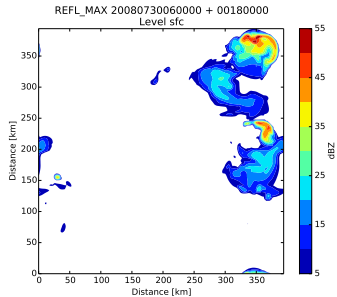
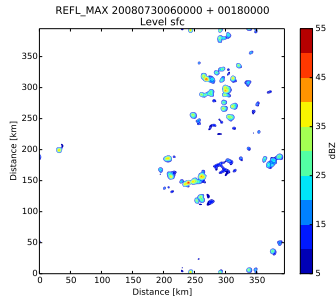
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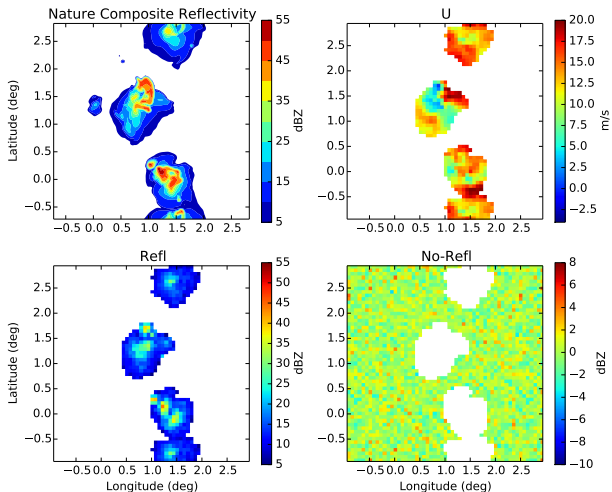
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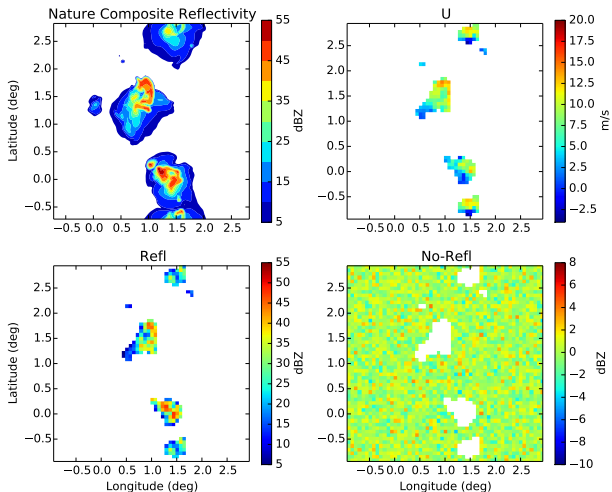
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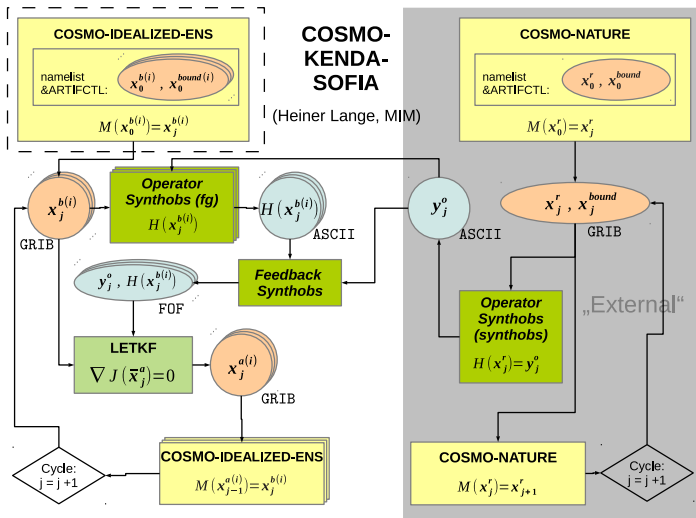
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20 UTC: Synthetic Observations at  $z = 9776$  m

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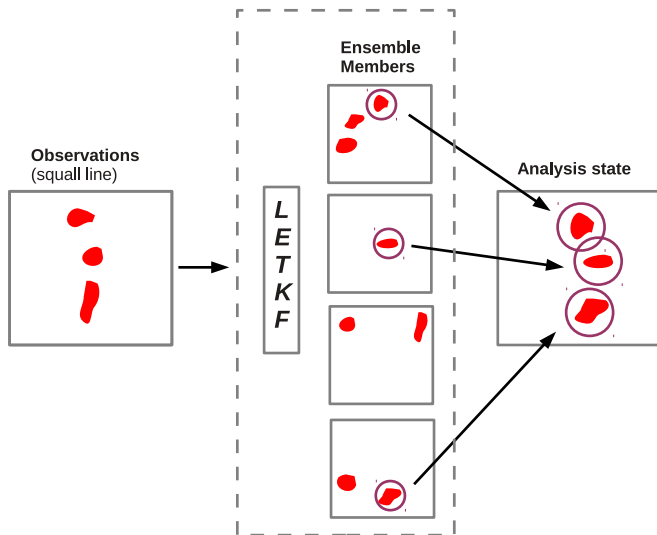
20 UTC: Synthetic Observations at  $z = 514$  m

## LETKF-Flowchart





# LETKF - How it works



# LETKF-Setup 1/2

## Assimilation setup

- 50 member ensemble (perfect model)
- Python-simulated observations of *radial wind* and *(no)-reflectivity*
- periodic LETKF-solution
- Python-cycling environment

# LETKF-Setup 1/2

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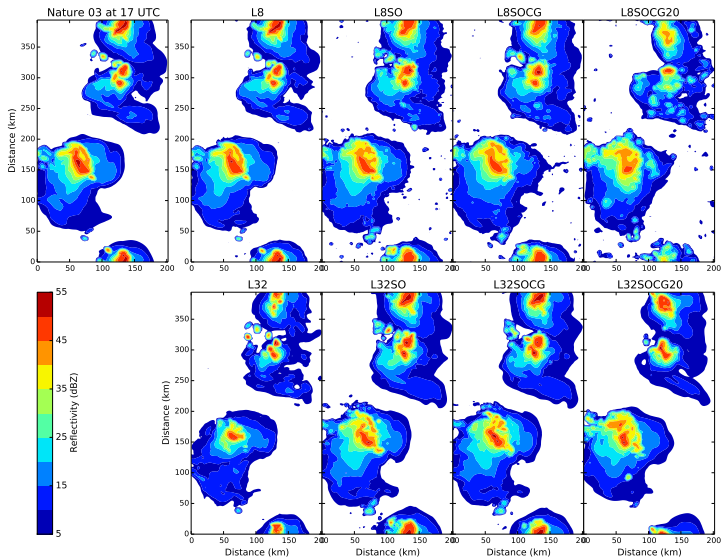
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- Python-cycling environment
- 3 hours cycled assimilation
- 3 hours ensemble forecast

# LETKF-Setup 2/2

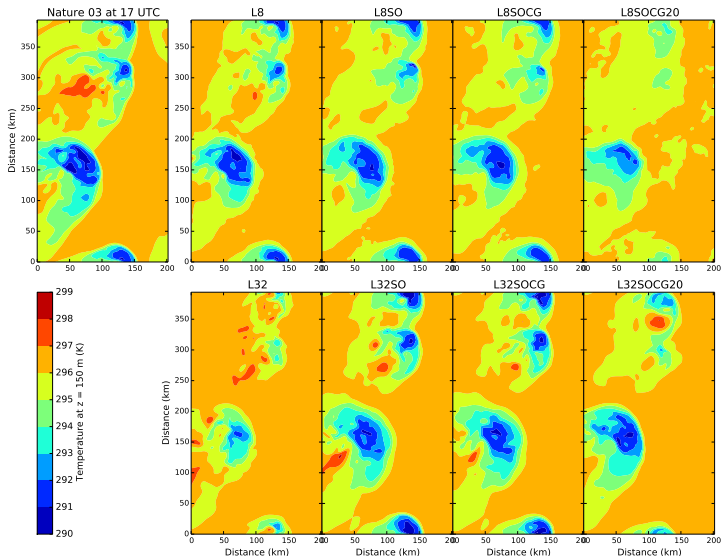
## Assimilation settings

- Observation Resolution 2 and 8 km (superobservations SO)
- LETKF coarse grid on 2 and 8 km (coarse grid CG)
- Assimilation interval 5 and 20 minutes (20)
- Horizontal localization 8 and 32 km (L8 and L32)

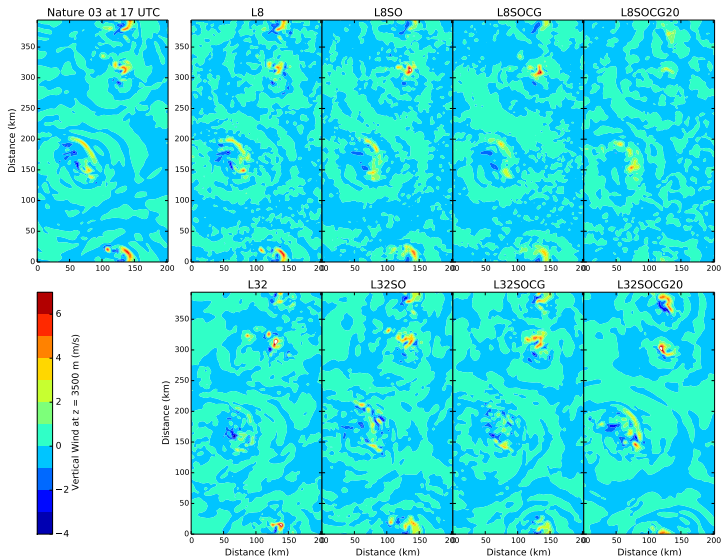
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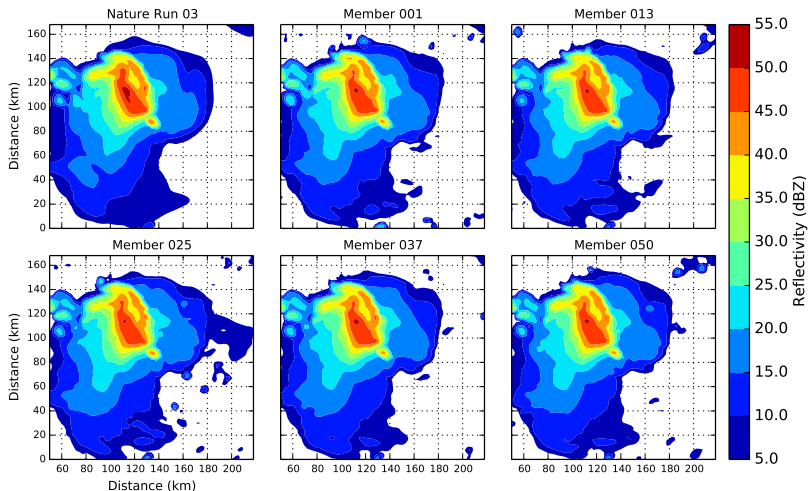


## Assimilation Results: Nature vs. Analysis Ensemble Means



## Analysis Members L8

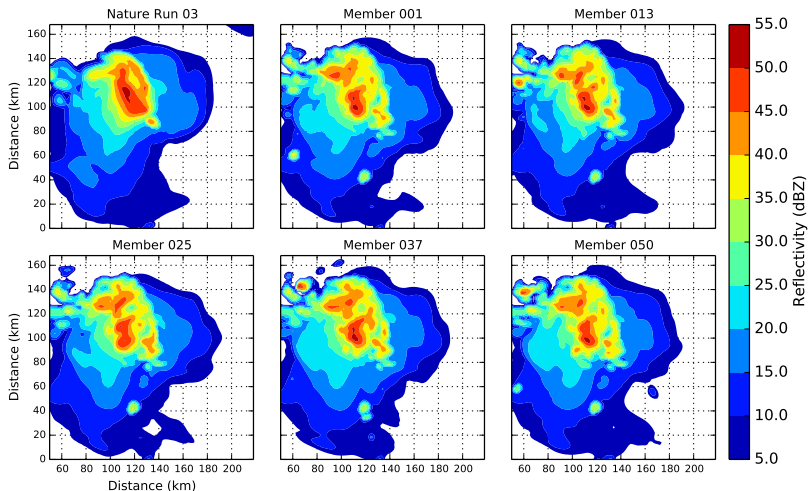
L8 Analysis, t = 17 UTC



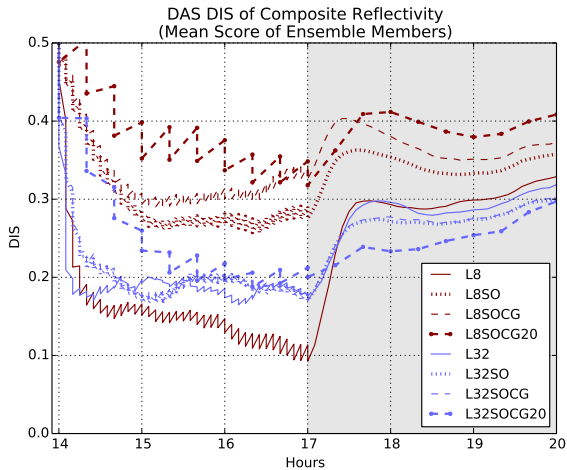


## Analysis Members L32SOCG20

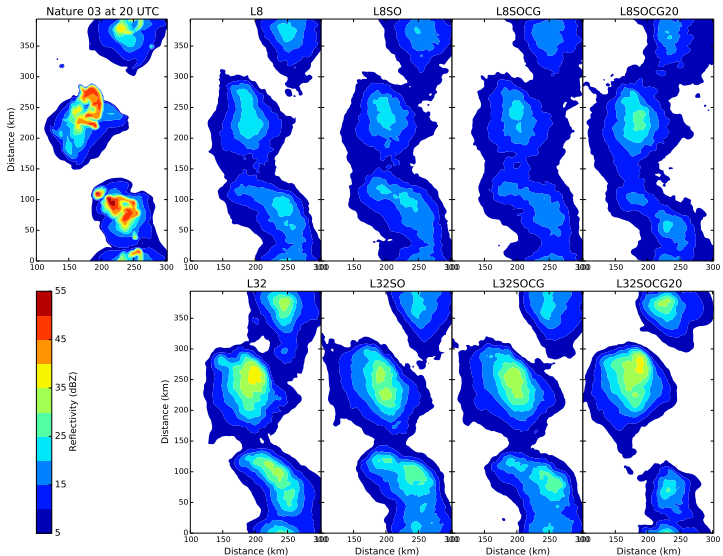
L32SOCG20 Analysis, t = 17 UTC



# Forecast error growth (displacement of storms)



# Forecast Results: Nature vs. Forecast Ensemble Means



# Results and Conclusions

## Assimilation Results

- Observation resolution of  $4 \times \Delta x_{model}$  sufficient for analysis
- Update of temperature through covariances: problematic!
- Less noise introduced with  $\Delta t_{ass} = 20$  minutes

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## Forecast Results

- Very fast displacement error growth
- Bias issues with spurious convection
- Forecast quality limited by:
  - Predictability of convection
  - Dynamical imbalance of initial states (= LETKF analyses)

# Outlook

## Further idealized studies

- Stability and imbalance in convective DA due to
  - strong ensemble convergence (observation errors and scale)
  - biases from strong localization
  - nonlinear observation operators
- Assimilation of convection in bad environmental soundings

# “Advertisement”

## Idealized KENDA

- Creative sandbox to study assimilation properties:
  - arbitrary types of convection (idealized COSMO)
  - free choice of ensemble spread / biases / model error
  - free choice of observation types, coverage and errors (very simple Python operator)
- KENDA-in-a-box: One Python cycling script (namelist-controlled) steers everything