

# Diagnostics and Revision of the COSMO Surface Layer Formulation under Stable Conditions in horizontal homogeneous terrain

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COSMO User Seminar 2016

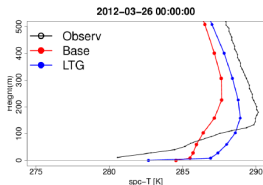
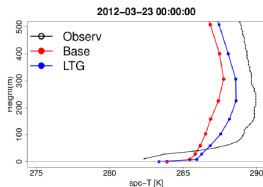


ALMA MATER STUDIORUM  
UNIVERSITÀ DI BOLOGNA



## Surface Layer (SL) scheme under stable stratification and above horizontal homogeneous terrain → the simplest case

- abundance of measurements
- agreement with Monin-Obukhov similarity theory (MOST), under the limit of weak stability



The coupling of COSMO to a MOST based SL scheme produces relevant differences with respect to the operational case

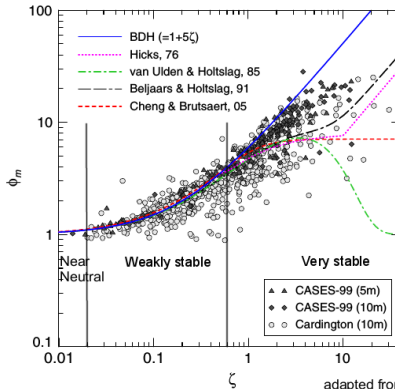
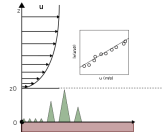
- 1 In which sense COSMO's SL scheme differs from MOST based schemes?
- 2 Is it possible to reduce COSMO's SL scheme to MOST based schemes?
- 3 Conclusions

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# Monin Obukhov approach (MOST)

$$\frac{d\bar{u}}{dz} = \frac{u_*}{kz} \phi_m(\xi)$$

$$\frac{d\bar{\theta}_v}{dz} = \frac{\theta_*}{kz} \phi_h(\xi)$$



adapted from Luhar et al.2009

Fig. 6 Observed variation of the gradient stability function for momentum ( $\phi_m$ ) with the stability parameter  $\zeta (= z/L)$ . A range of parameterisation curves as reported in the literature are also shown (see text for details)

Sublayers resistances:

$$r^{M,H} = \int_{z_1}^{z_2} \frac{dz}{K(z)^{M,H}} = \int_{z_1}^{z_2} \frac{dz}{l(z)U(z)}$$

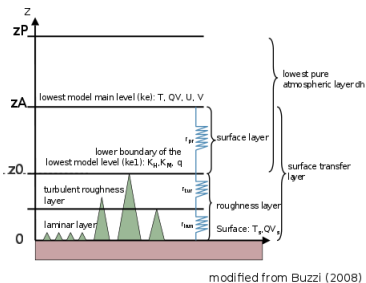
Hypothesis on the inertial sublayer:

- it extends from  $z_0$  to  $z_A$
- $l(z) = kz$
- $U(z) = Az + B$  with B.C.:

$$U(z_P) = \frac{K_P^{TURB}}{l(z_P)} \quad \text{and} \quad U(z_0) = \frac{K_0^{TURB}}{l(z_0)}$$



- Linear interpolation: the simplest ensuring that at neutrality  $U(z) = u_*$  in agreement with MOST
- $A$  and  $B$  follows from the turbulence closures at  $z_0$  and  $z_P$  (not from empirical data)



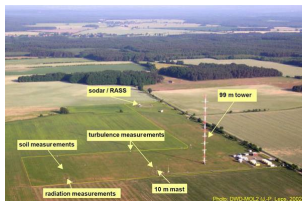
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# COSMO Single Column special setup

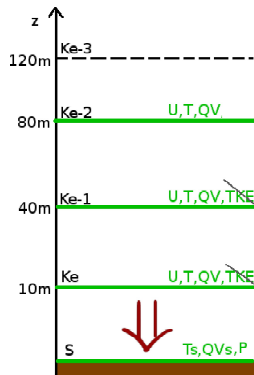
Single Column run forced with observations:

- avoid feedbacks due to vertical profiles errors
- simplest run to study the SL scheme

Observations: one month at Lindenberg



SCM-setup





# Surface Fluxes

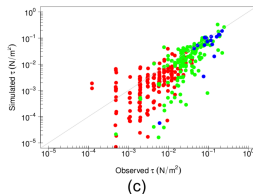
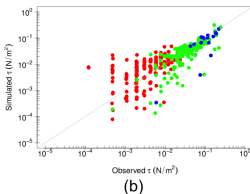
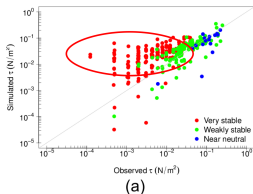
- Very stable
- Weakly stable
- Near neutral

COSMO  
"Base"

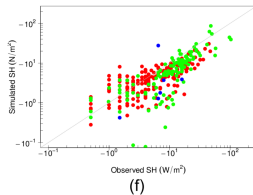
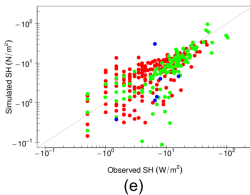
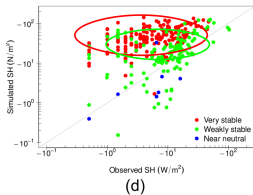
Louis et  
al.(1982)  
"LTG"

Cheng and  
Brutsaert (2005)  
"CB05"

$T$



$SH$

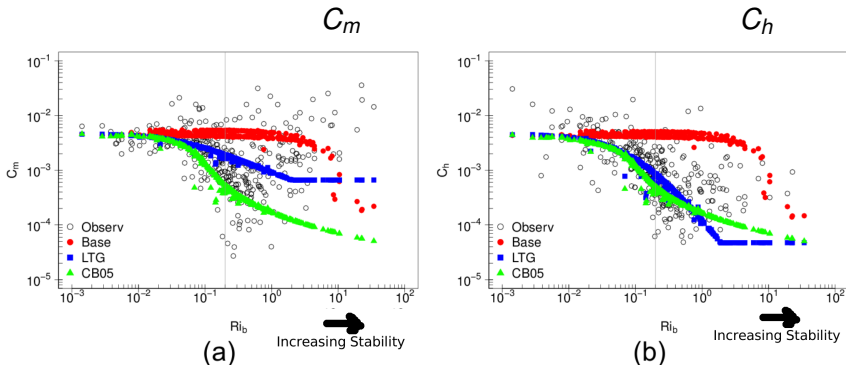


Overestimation of the surface fluxes under stable stratification

# Transfer coefficients

Surface fluxes:

$$\tau = \rho \underline{C_m} |U_{ke}|^2$$
$$SH = -\rho c_p \underline{C_h} |U_{ke}| (\theta_{ke} - T_s)$$



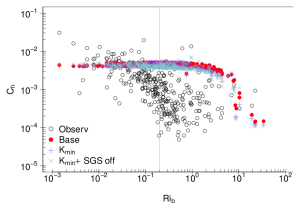
COSMO's SL weaker stability dependency of  $C_{m,h}$  with respect to MOST

# Long tail removal

Effect of the long tail turbulence closure?

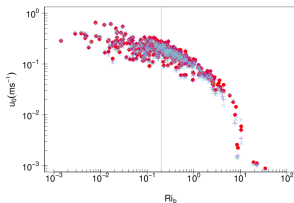
NB: COSMO's SL scheme is strongly dependent on the turbulence closure!

$C_h$



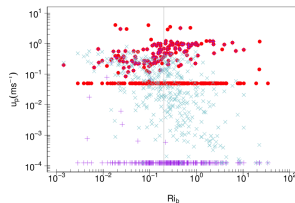
(a)

$U(z_0)$



(b)

$U(z_P)$



(c)

⇒ No, turbulence-enhancing measures impact only above SL

Hypothesis on the inertial sublayer:

- $K(z) = l(z)U(z)$
- $l(z) = kz$
- $U(z) = Az + B$

However, away from the neutral case  $K_{MOST} = \frac{l(z)u_*}{\phi(\xi)}$ . Thus:

- 1 the analogy  $K(z) = K_{MOST}$  corresponds to  $U(z) = \frac{u_*}{\phi(\xi)}$
- 2 in stable case:  $\phi(\xi) = 1 + \beta\xi$  (Businger et al., 1971)
- 3  $U(z) = \frac{u_*}{1 + \frac{\beta}{L_{MO}}z} \rightarrow U(z) = \frac{A}{1+Bz}$

with B.C.:  $U(z_P) = \frac{K_P^{TURB}}{L(z_P)}$  and  $U(z_0) = \frac{K_0^{TURB}}{L(z_0)}$

Hypothesis on the inertial sublayer:

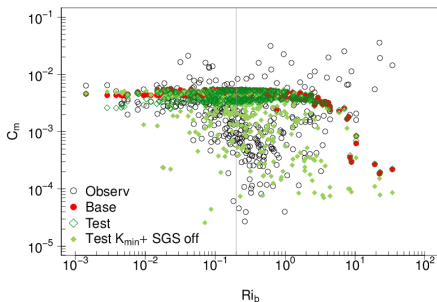
- $K(z) = I(z)U(z)$
- $I(z) = kz$
- $U(z) = Az + B$

However, away from the neutral case  $K_{MOST} = \frac{I(z)u_*}{\phi(\xi)}$ . Thus:

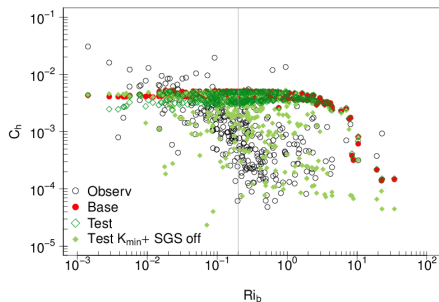
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# Hyperbolic interpolation



(a)



(b)

Hyperbolic interpolation allows :

- the reduction of  $C_{m,h}$  under stable conditions
- the SL to react to changes in the upper layers

Good news:

Yes, it is possible to reduce the COSMO SL to the MOST in stable stratified cases and above horizontal homogeneous surfaces if the hyperbolic interpolation is used

Bad news:

Effects are visible only by reducing the turbulence-enhancing measures, which are still necessary to keep high the large scale scores (Holtslag et al, 2013)

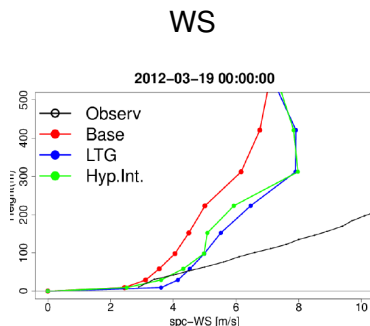
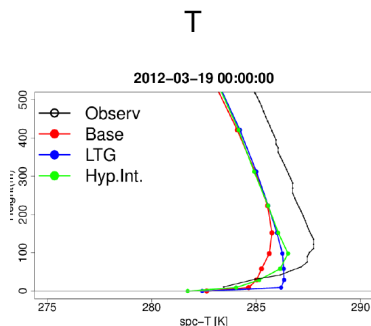
Which effect on a COSMO simulation?

A first attempt: reduce the turbulence-enhancing measures in horizontal homogeneous regions and plug in the hyperbolic interpolation

# Profiles-COSMO simulation

Good agreement between:

- COSMO Hyp.Int. (reduced mixing-enhanced measures + hyperbolic interpolation)
- COSMO LTG (reduced mixing-enhanced measures + LTG scheme based on MOST)





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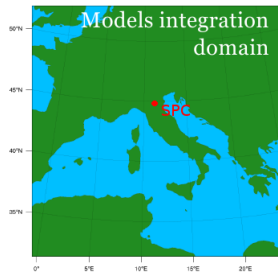
In horizontal homogeneous terrains:

- 1 Overestimation of surface fluxes in stable stratified conditions
- 2 Weak stability dependency of the transfer coefficients
- 3 Reason: missing agreement with MOST when stratification becomes stable
- 4 Solution: modification of the velocity scale profile in the constant flux sub-layer (hyperbolic interpolation)
- 5 It is possible to reduce the COSMO' SL scheme to MOST but the mixing-enhancing measures mask the effect.

**Thank you for your attention!!**

## COSMO configuration:

- 3 parallel runs:
  - COSMO (as operational)
  - LTG (with reduced mixing-enhanced measures for homogeneous terrain)
  - Hyp. Int. (with reduced mixing-enhanced measures for homogeneous terrain)
- 30 runs 48h long (first 24h spinup)
- IC and BC: ECMWF operational analysis (16km horiz. resolution)



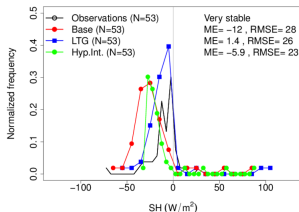
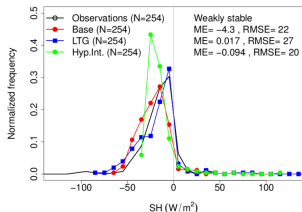
**Site:** San Pietro Capofiume (SPC) in Po Valley, Italy. Flat grassland - crop area.

# Surface Fluxes-COSMO simulation

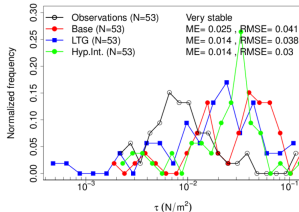
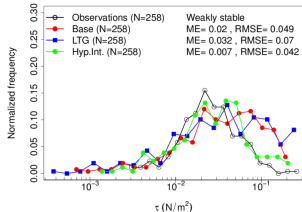
## Weakly Stable

## Very Stable

SH



$\tau$



- Overestimation of fluxes by COSMO reduced by Hyp.Int and LTG
- Hyp. Int. always improves with respect to Base and LTG